

fuel equivalence ratio.

$$\phi = \frac{(A/F)_{\text{stoch}}}{(A/F)_{\text{act}}} = \frac{(F/A)_{\text{act}}}{(F/A)_{\text{stoch}}}$$

$\phi = 1$ \rightarrow stoich.

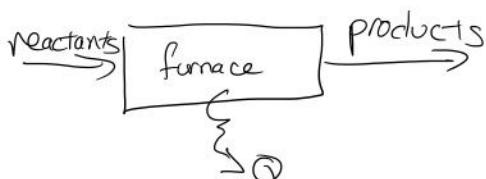
$\phi < 1$ \rightarrow fuel lean

$\phi > 1$ \rightarrow fuel rich

$$\% \text{ stoichiometric air} : \frac{100\%}{\phi}$$

$$\% \text{ excess air} : \frac{(1-\phi)}{\phi} 100\%$$

heat (if exothermic)



$$Q - w = \Delta E$$

$$-Q = \Delta h = \underline{h_{\text{prod}}} - \underline{h_{\text{react}}}$$

Standard enthalpy: the sum of the energy associated w/ chemical bonds, the enthalpy of formation h_f , and a temperature dependent enthalpy called the sensible enthalpy change Δh_s

$$\bar{h}_i(T) = \bar{h}_{f,i}^{\circ}(T_{\text{ref}}) + \Delta \bar{h}_{s,i}(T)$$

Standard enthalpy at T
for i

Enthalpy of formation
at STP ($T_{\text{ref}}, P^{\circ}$)
for i

Sensible enthalpy
for $T_{\text{ref}} - T$

$$\therefore \bar{T} \therefore \bar{T}^{\circ} \leftarrow \bar{T}$$

$$\Delta h_{f,i} = h_i(T) - h_{f,i}(T_{\text{ref}})$$

$\bar{h}_f^{\circ} \rightarrow \text{STP } (298\text{K}, 1\text{atm})$

0° O₂

1° H₂

C° graphite

$$(\bar{h}_{f,O_2}^{\circ})_{298} = \delta$$

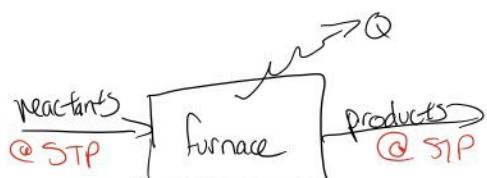
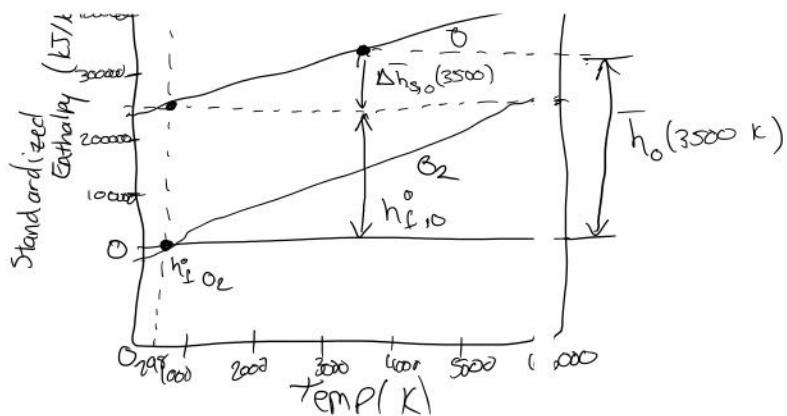
① i Bond Dissociation Energy O_i @ 298K

$$= 498,370 \text{ kJ/mol}$$



$$\hookrightarrow (\bar{h}_{f,O}^{\circ}) = 24,195 \text{ kJ/mol}$$

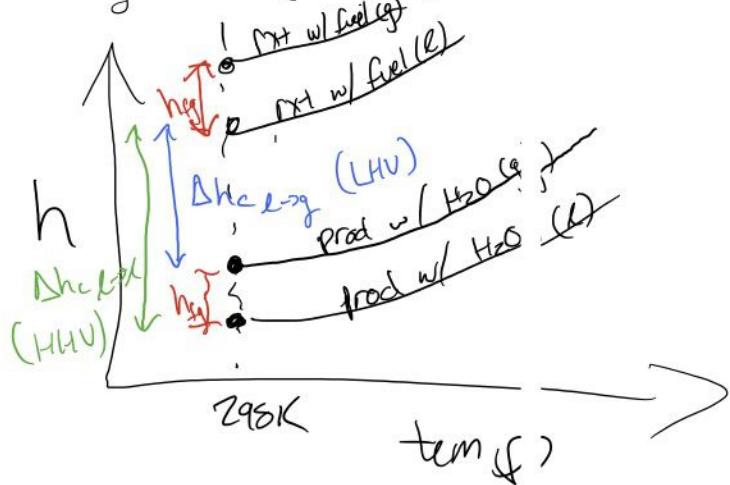
↓
summit i →)



$$h_{\text{prod}} - h_{\text{react}} = -q \equiv \Delta h_{rxn}$$

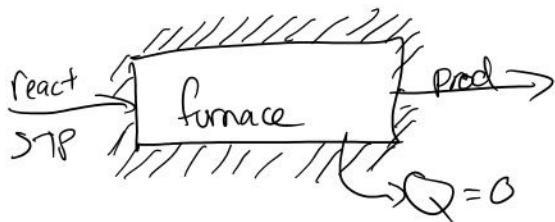
$$\Delta h_{rxn} = -\underline{\Delta h_{\text{comb.}}}$$

- ↳ heating value
- upper heating value (HHV) \rightarrow all water is liq.
 - lower heating value (LHV) \rightarrow all water is vapor.



$$\text{HHV} > \text{LHV}$$

Vaporized fuel has $T \cdot \Delta h_c$

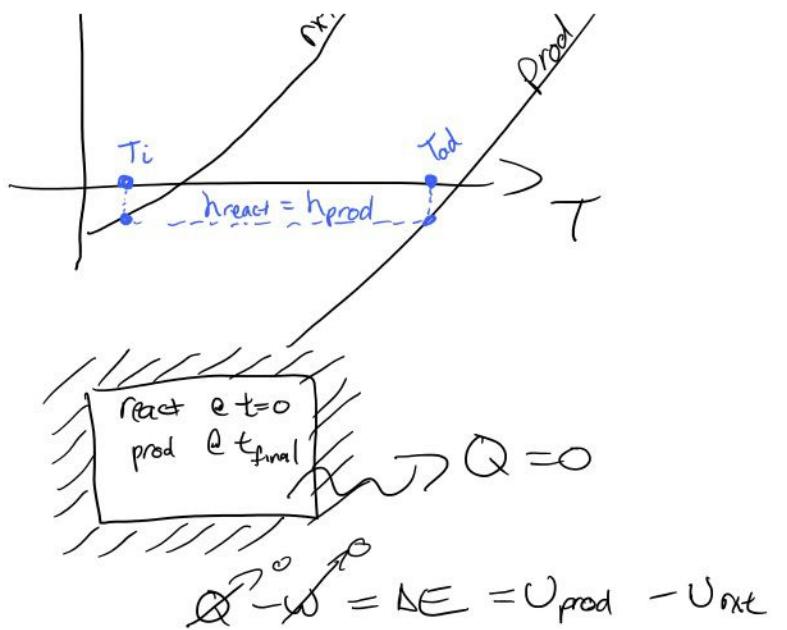


- assume adiabatic
- ext. $\propto STP$
- Const P.

$$Q - w = \Delta h \Rightarrow h_{\text{prod}} = h_{\text{ini}}$$

$$h_{\text{ini}}(T_i, P) = h_{\text{prod}}(T_{\text{ad}}, ?)$$

$$h \uparrow \quad x / \quad . /'$$



$$\rightarrow U_{react}(T_i, P_i) = U_{prod}(T_{ad}, P_f)$$

$$\rightarrow H_{react} = U_{react} + P_i V$$

$$H_{react} - H_{prod} = U_{react} - U_{prod} + P_i V - P_f V = 0$$

$$H_{react} - H_{prod} = U_{react} - U_{prod}$$

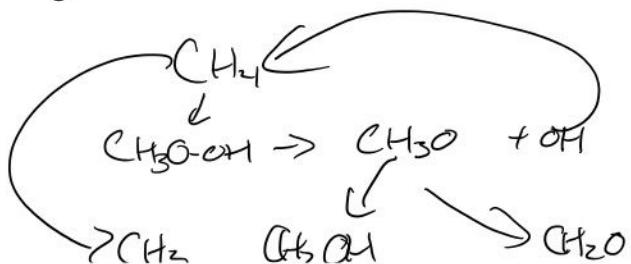
$$PV = nRT$$

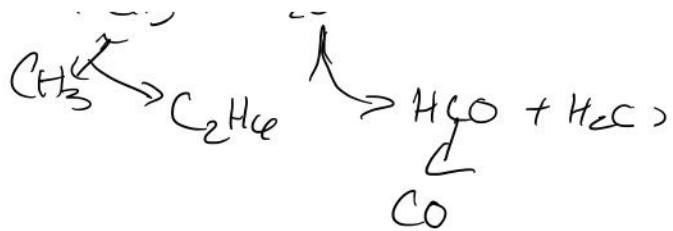
$$H_{react} - H_{prod} = R_v(T_i - T_{ad}) = C$$

$$M_{react} = M_{mix} = M_{prod}$$

$$n_{react} M_{react} = n_{prod} M_{prod}$$

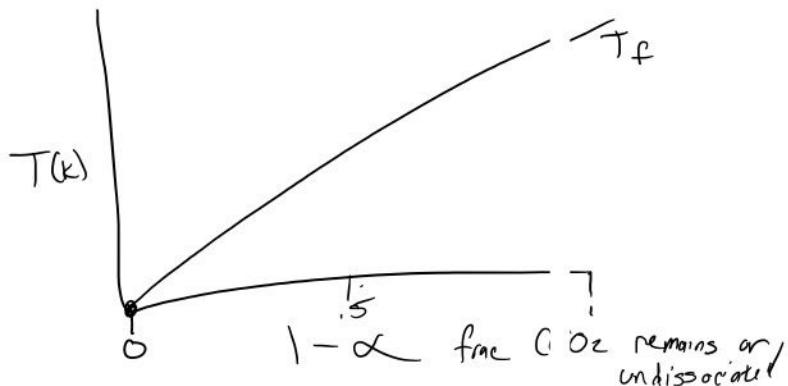
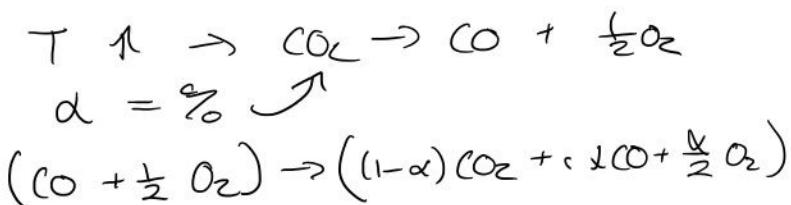
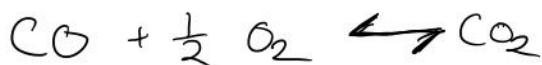
$$h_{react} - h_{prod} = R_v \left(\frac{T_i}{M_{react}} - \frac{T_{ad}}{M_{prod}} \right) = 0$$





what is true?

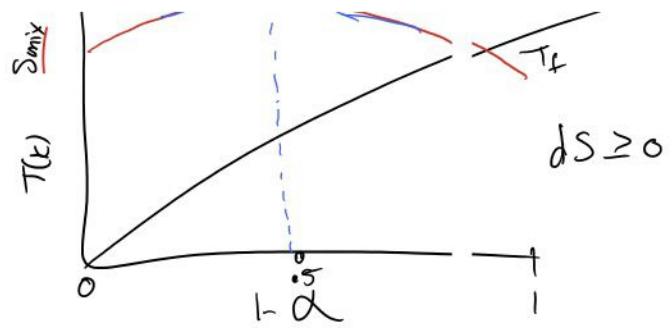
- mass is conserved
- elements are conserved
- 1st 2nd laws apply



$$\begin{aligned} S_{\text{final}} &= S_{\text{mix}}(T_f, P) = \sum_{\text{prod}} N_i \bar{s}_i(T_f, P) \\ &= (1-\alpha) \bar{s}_{\text{CO}_2} + \alpha : \bar{s}_{\text{CO}} + \frac{\alpha}{2} \bar{s}_{\text{O}_2} \end{aligned}$$

$$\bar{s}_i = \bar{s}_i(T_{\text{ref}}) + \int_{T_{\text{ref}}}^{T_f} \bar{C}_{p,i} \frac{dT}{T} - R_v \ln\left(\frac{P_i}{P_{\text{ref}}}\right)$$

\bar{s}_{mix}



$$(dS)_{v,v,m} = 0 \text{ @ eq.}$$

NASA Gas Eq. ←